

# Magnetically-dominated plasma turbulence in the rapid synchrotron-cooling regime



Vladislav Loktev<sup>1</sup> Joonas Nättilä<sup>2,3</sup>

<sup>1</sup>University of Turku <sup>2</sup>Flatiron Institute <sup>3</sup>Columbia University

#### Abstract

Many high-energy astrophysical phenomena – such as gamma-ray bursts, black hole accretion flows, neutron-star merger precursors, and magnetar flares – can be powered by magnetically-dominated ( $\sigma \gg 1$ ) plasma turbulence. Importantly, when the magnetic field strength is very high, the systems have an extremely short synchrotron cooling time that is comparable to plasma timescales. We study such ultra-efficient synchrotron-cooling plasma turbulence with advanced 2D and 3D particle-in-cell and ring-in-cell simulations.

## **Results and discussion**

- We find that turbulence can persist even as synchrotron cooling time approaches zero.
- The turbulence in this radiation regime is still able to sustain non-thermal particle acceleration.

These discoveries contribute to our understanding of plasma dynamics in extreme environments like those around binary neutron stars and magnetars.

## Turbulence in rapid synchrotron-cooling regime

## Setup

A typically assumed isotropic synchrotron cooling time in a strong field can be very short 2 - 3.5 p-1

 $t_{\rm syn} \sim \frac{\gamma m_e c^2}{P_{\rm syn}} \sim \frac{m_e^3 c^5}{q^4 \gamma} B^{-2} \approx \frac{B_{15}^{-1}}{\gamma^2 \omega_B}.$  (1)

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Figure 1. Magnetic Reconnection Model for a magnetar flare, example from Masada (2009). A possible environment for highly magnetized rapid synchrotron-cooling might be a nascent giant magnetar flare.

Naively, this is expected to prevent the formation of turbulent flow and non-thermal particle acceleration.

We test this assumption with numerical plasma simulations. We study highly magnetized plasmas with

$$\sigma \equiv \frac{U_B}{U_{\pm}} = \left(\frac{\omega_B}{\omega_p}\right)^2 = \frac{\delta B^2}{4\pi n_{\pm} m_e c^2} \gg 1 \qquad (2)$$

In our simulations  $\sigma_0 = 10$ . We excite strong turbulence  $\delta B \sim B_{\rm g}$  that decays.

In our numerical simulations, we use a ring-incell approach, but each time step we declare the magnetic moment  $\mu = \frac{mu^2}{2B}$  of a particle to be zero, virtually nullifying the gyration radius of the particle.

#### Non-thermal particle acceleration

We run 2D plasma simulation in this regime with **runko** (Nättilä 2022). We observe the turbulence developing over light-crossing times.



The turbulent plasma in this regime is also able to accelerate non-thermal particles.



Figure 2. The evolution of particle distribution in magnetized plasma turbulence with numerical synchrotron cooling. Color represents evolution time scaled light-crossing times according to the colormap. Both panels represent the same one simulation, but we distinguish the particles into two populations: thermal (top panel) and non-thermal (bottom panel). The top mini-panel shows the temperature evolution of the thermal particles, while the bottom mini-panel represents the rise of the fraction of non-thermal particles.

Figure 3. Simulation snapshot at about 7 light-crossing times. Current density (top) and number density (bottom), normalized to total number density. One unit in scale corresponds to the plasma skin depth ( $c/\omega_{\rm p}$ ).



Author's <sup>1</sup> web page (but there is no more info on this particular project there yet)

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belliavesha@gmail.com